

## Radiocarbon in Ecology and Earth System Science – 1<sup>st</sup> problem set

1. You send four samples (a foraminifera (single celled marine organism with a calcium carbonate shell), a leaf, and two pieces of wood) to a lab for measurement. They send you the following results:

	$\delta^{13}\text{C}$ (‰)	Fraction Modern
Foraminifera	+1.5	0.50
Leaf	-28.0	0.50
Wood 1	-25.0	0.25
Wood 2	-25.0	1.79

- What are the **Radiocarbon Ages** of the three samples (see Lecture 1 notes for definitions)?
- Which of the samples has the most  $^{14}\text{C}$  atoms per gram of sample carbon? (in other words, to which samples was  $^{14}\text{C}$  added or subtracted to correct for mass dependent fractionation)?
- Calculate the calibrated age ranges for these samples using one of the programs available on the web (e.g. **Calib**; <http://calib.qub.ac.uk/calib/> or **Oxcal** <http://c14.arch.ox.ac.uk/embed.php?File=oxcal.html>). Try using error of  $\pm 25$  years and  $\pm 50$  years to see how that affects the calibrated age ranges.
- What would be the  $D^{14}\text{C}$  (see definition in notes;  $1000 \cdot (\text{FM} - 1)$ ) and  $\Delta^{14}\text{C}$  values for these samples - assume you measured them in 2016 – do you understand why they are different?

$$\Delta^{14}\text{C} = \left[ \frac{\text{Delta} \left[ \frac{^{14}\text{C}}{^{12}\text{C}} \right]_{\text{sample}, -25}}{0.95 \left[ \frac{^{14}\text{C}}{^{12}\text{C}} \right]_{\text{OX1}, -19}} \exp\left(\frac{(y-1950)}{8267}\right)} - 1 \right] 1000$$

Problem 2. The spreadsheet (see link below) has data for FM 14C as a function of distance (from the cambium inward or the cambium outward) from a tropical tree (see photo). Use a calibration program that allows you to use bomb radiocarbon to estimate the growth rates and ages of these two trees.

IDENT. (NAME)	FRACT. MOD.	±	DEL 14C	±	Distance fcambium
TanBark1_15mm	1.1578	0.0031	148.8	3.1	-15
TanBark3_13mm	1.3371	0.0045	326.6	4.5	-13
TanBark5_9.3mm	1.4296	0.0033	418.5	3.3	-9.3
TanBark8_4.7mm	1.1962	0.0042	186.8	4.2	-4.7
TanBark10_3mm	1.1375	0.0038	128.6	3.8	-3
TanBark11_1mm	1.0753	0.0025	66.9	2.5	-1
					0
TanWood1_1mm	1.0449	0.0030	36.7	3.0	1
TanWood2_9.4mm	1.0817	0.0027	73.2	2.7	9.4
TanWood3_16mm	1.1432	0.0025	134.2	2.5	16
TanWood4_24mm	1.2037	0.0027	194.2	2.7	24
TanWood5_30mm	1.2449	0.0027	235.1	2.7	30
TanWood6_43mm	1.3135	0.0035	303.2	3.5	43
TanWood7_60mm	1.4370	0.0035	425.8	3.5	60
TanWood8_90mm	1.5370	0.0037	525.0	3.7	90

3) Corals that grew during the year 1900 off the coast of Hawaii, Galapagos, and the Great Barrier Reef contain  $^{14}\text{C}$  Fraction Modern values of 0.945, 0.924 and 0.950, respectively.

a) Now calculate the  $\Delta^{14}\text{C}$  values for the carbon in seawater from which these corals precipitated. (Use the true  $^{14}\text{C}$  half-life of 5730 y in your calculations).

$$\Delta = \left[ \frac{\left[ \frac{^{14}\text{C}}{^{12}\text{C}} \right]_{\text{sample}, -25} \exp\left(\frac{(1950-1900)/8267}{\right)}{0.95 \left[ \frac{^{14}\text{C}}{^{12}\text{C}} \right]_{\text{OX1}, -19}} - 1 \right] 1000$$

b) Calculate the reservoir ages (equivalent to the radiocarbon age for the seawater carbon) for each of these coral sites. (Remember to use the Libby  $^{14}\text{C}$  half-life of 5568 y in your calculations).